



2nd Workshop on Federated Learning for Computer Vision

# Federated Learning in Non-IID Settings Aided by Differentially Private Synthetic Data

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# Outline

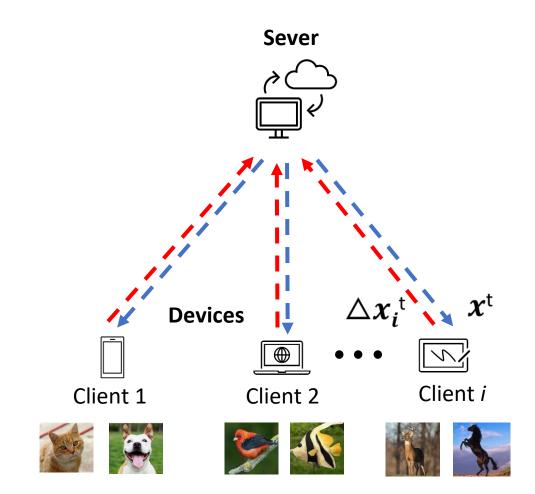
- Background and Motivation
- The Proposed Method
- Experimental Results
- Q&A

# **Background**:

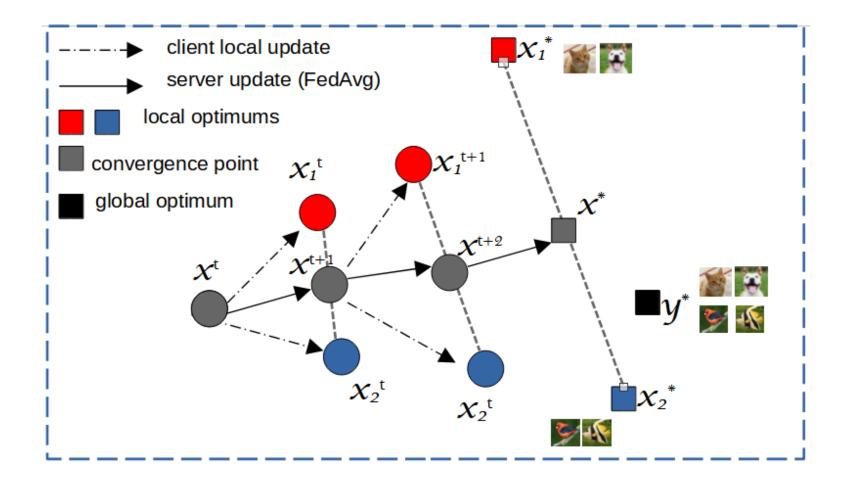
 Federated Learning is a privacy-preserving framework that enables numerous distributed devices to collaboratively train a global model without exchanging their private data.

# Challenge:

• Training on non-IID data has detrimental effects on the performance of the global model.



## Non-IID data causes objective drift: A two-client system example

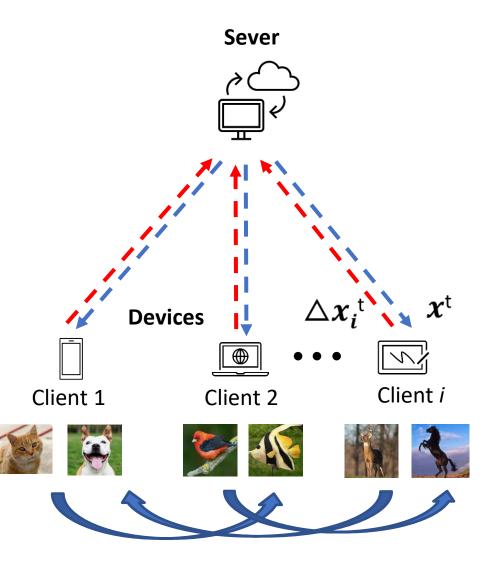


The model trained by FedAvg converges to the weighted average of two local optima corresponding to two different data distribution

potentially distant from the true global optimum

# **Motivation**

- In a **non-iid** data scenario, the number of samples with different labels available to a client vary significantly from one class to another. For each client, we distinguish between abundant and scarce classes.
- Objective drift problem is caused by overfitting in local training. Each client could benefit from data augmentation of its scarce classes, accomplished through the assistance by another client.
- We use VAEs to synthesize augmentation data, relying on class-wise data representations (extracted locally) as the assisting information that is shared among devices instead of raw data.



### **Stage I: Preliminary training**

Each client trains a VAE model (consisting of an **encoder**, a **classifier** and a **decoder**) according to the objective

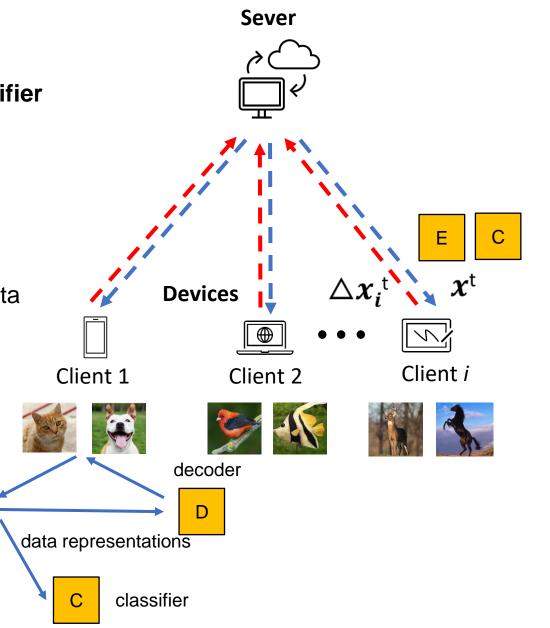
 $\mathcal{L} = \text{CELoss}(\hat{y}, y) + \lambda \mathcal{L}_{\text{VAE}}$ 

 $\mathcal{L}_{VAE} = KLD(\mathbf{q}, \mathbf{p}) + MSE(\hat{\mathbf{x}}, \mathbf{x})$ 

where y and  $\hat{y}$  are true label and predicted label; x and  $\hat{x}$  are original data and reconstructed data; **q** and **p** are approximated data distribution and prior distribution of data;  $\lambda$  is a hyper-parameter.

encoder

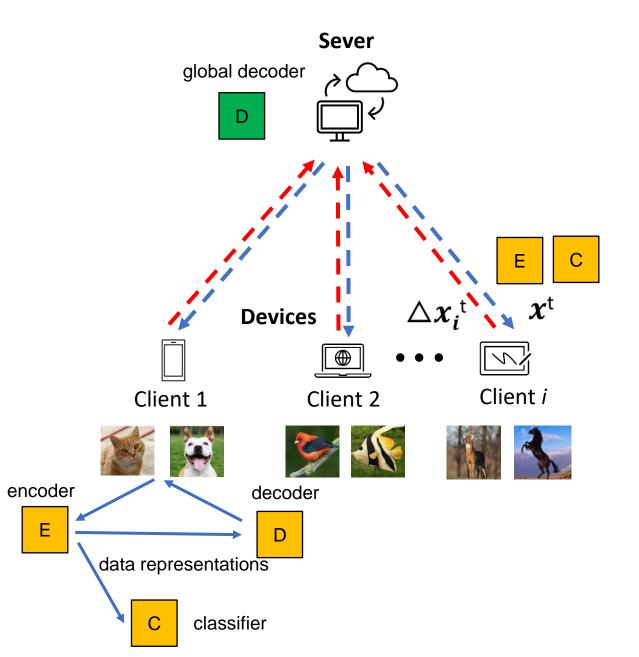
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**Stage I: Preliminary training:** 

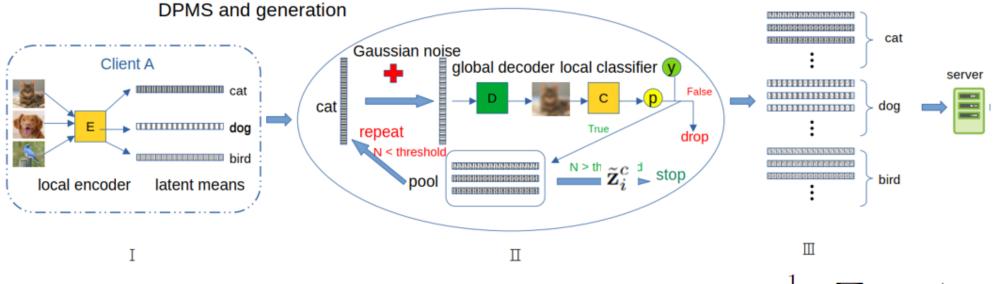
At the end of the preliminary training, all clients upload their local decoders to the server.

The server aggregates them into the global decoder and broadcast it to all clients.



### Stage II: Secondary training

Differential Private Mean Sharing (DPMS):



- Client *i* computes mean of data representation  $\mathbf{z}_i^c$  in the abundant class *c*:  $\mathbf{z}_i^c = \frac{1}{N_i^c} \sum_{i:v(\mathbf{x}_i^j)=c} E_i(\mathbf{x}_i^j)$
- The client *i* samples DP noise  $\epsilon_i^c$  under Gaussian mechanism  $\mathcal{N}(0, \sigma_f^2)$  and add it to the  $\mathbf{z}_i^c : \tilde{\mathbf{z}}_i^c = \mathbf{z}_i^c + \epsilon_i^c$
- Utilize the global decoder to reconstruct image  $\tilde{\mathbf{x}}_i^c$  with  $\tilde{\mathbf{z}}_i^c$  and forward it to the local encoder/classifier. If the prediction is correct, add  $\tilde{\mathbf{z}}_i^c$  to the pool. Otherwise, discard  $\tilde{\mathbf{z}}_i^c$
- Repeat the above until the number of noise-perturbed data representations in the pool achieves the predetermined quota  $\alpha$ . Then the client *i* sends all the data representations in the pool to the server.

### **Stage II: Secondary training**

Addressing privacy concerns

Each client shares the mean of data representations, so the private content of single data sample is preserved after the operation of average

however, adversaries may be able to infer the data representation of single data through differential attack if two means of data representations computed with two adjacent datasets (datasets differing in just one point) are captured:

loca

local dataset 
$$\mathbf{d}$$
:  
 $\mathbf{z}_{i}^{c} = \frac{1}{N_{i}^{c}} \sum_{j:y(\mathbf{x}_{i}^{j})=c} E_{i}(\mathbf{x}_{i}^{j})$ 
local dataset  $\mathbf{d}' = \mathbf{d} \cup \mathbf{x}_{i}^{k}$ :  $\mathbf{z}_{i}^{c'} = \frac{1}{N_{i}^{c}+1} \sum_{j \in \mathbf{d}': y(\mathbf{x}_{i}^{j})=c} E_{i}(\mathbf{x}_{i}^{j})$ 

single data representation can be computed:  $E_i(\mathbf{x}_i^k) = N_i^c \mathbf{z}_i^c - (N_i^c + 1) \mathbf{z}_i^{c'}$ 

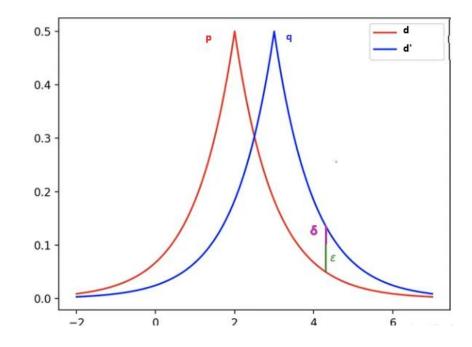
#### Stage II: Secondary training

Addressing privacy concerns

**Definition 1** (Differential Privacy) A randomized mechanism  $\mathcal{M} : \mathcal{D} \to \mathcal{R}$  satisfies  $(\epsilon, \delta)$  differential privacy if for any two adjacent databases  $d, d' \in \mathcal{D}$  with only one different sample, and for any subset of the output  $S \subseteq \mathcal{R}$ , it holds that

$$\Pr[\mathcal{M}(d) \in S] \le e^{\epsilon} \Pr\left[\mathcal{M}\left(d'\right) \in S\right] + \delta.$$

The output of the random mechanism  $\mathcal{M}$  is a random distribution;  $\epsilon$  denotes an upper bound on the distance between distributions  $\mathcal{M}(d)$  and  $\mathcal{M}(d')$  and can be interpreted as the privacy budget, while the relaxing factor  $\delta$  is the probability that the  $\epsilon$ -differential privacy is broken.



### Stage II: Secondary training

Addressing privacy concerns

**Definition 2** (Gaussian noise mechanism) *The Gaussian noise mechanism achieving*  $(\varepsilon, \delta)$  *differential privacy for function*  $f : \mathcal{D} \to \mathbf{R}$  *is defined as* 

$$\mathcal{M}(d) = f(d) + \mathcal{N}\left(0, S_f^2 \cdot \sigma^2\right),$$

where  $S_f$  denotes the maximum of the absolute distance |f(d) - f(d')|, and  $\sigma > \sqrt{2\log \frac{5}{4\delta}}/\varepsilon$ . In other word, if we add a zero-mean Gaussian noise with variance  $S_f^2 \sigma^2$  to the output of f and set the privacy budget  $\epsilon$ , the confidence of the resulting mechanism  $\mathcal{M}$  is  $\delta \geq \frac{4}{5} \exp(-(\sigma \epsilon)^2/2)$ .

In our case, the deterministic function **f** is average operation; sensitive  $S_f$  is  $1/N_i^c$ ;

For  $N_i^c = 100$ ,  $\sigma$  set to 4 and  $\delta$  set to 0.01, one obtains  $\epsilon = 0.5$ . Therefore, it is with 99% confidence that the means of data representations computed on two adjacent datasets would differ by less than 0.5, which makes them indistinguishable.

## **Synthetic Images From Noisy Means of Data Representations**



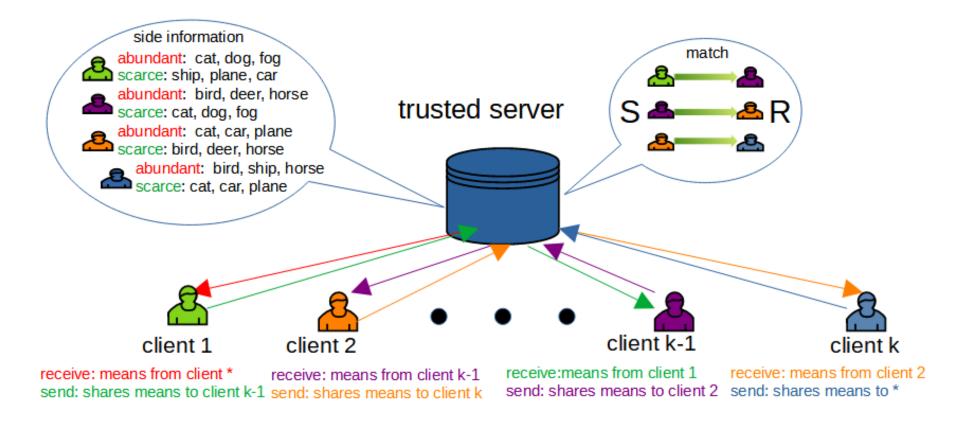
FMNIST

CIFAR10

CIFAR100

### Stage II: Secondary training

**Client Matching** 



- The server is given side information about abundant classes and scarce classes of all clients.
- The server matches pairs of clients as receiving client and sending client.

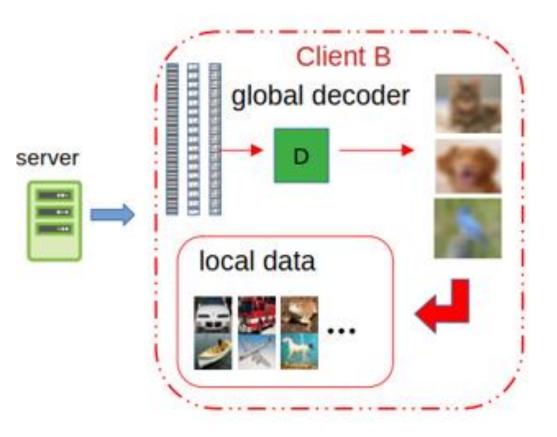
#### Stage II: Secondary training

Data Synthesis

- After matching, the server sends the corresponding means of data representations to the receiving client.
- The receiving client utilizes the global decoder to reconstruct images and merges them into the original local dataset.
- Through the above steps, the classes in the local dataset become richer.

Model Training

- After data synthesis, all clients may **delete** all parameters of local and global decoders to free up memory.
- In the following training, clients utilize the augmented local dataset to train local models (encoder/classifier).



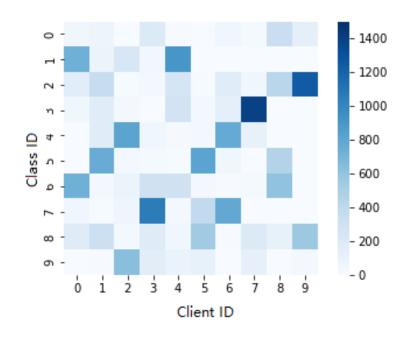
# **Experimental Results**

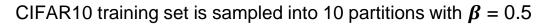
Dataset: FMNIST, CIFAR10, CIFAR100

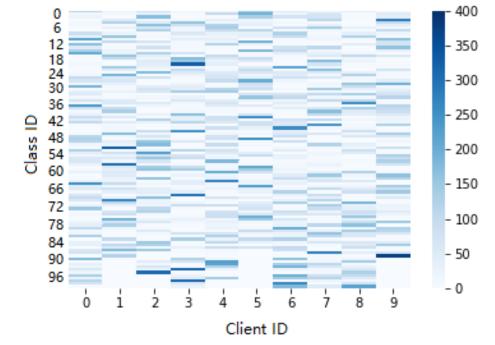
Baselines: FedAvg, FedProx, FedMix, Moon

#### Data Partitions:

Generating clients' data partitions with Dirichlet Distribution with a concentration parameter  $\beta$ . The proportion  $\mathbf{p}_c$  of samples with label **c** among **m** clients is drawn from:  $\mathbf{p}_c \sim Dir_m(\beta)$ 

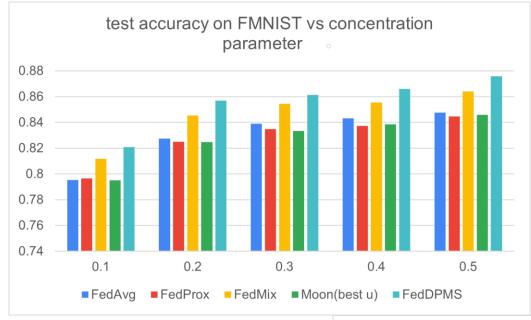


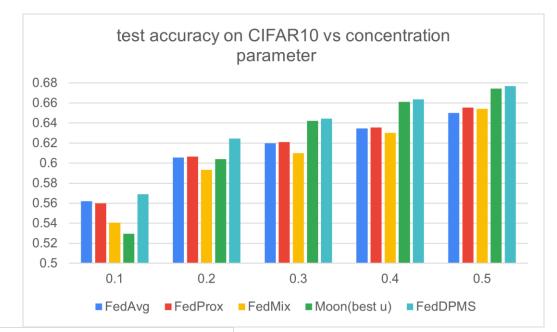


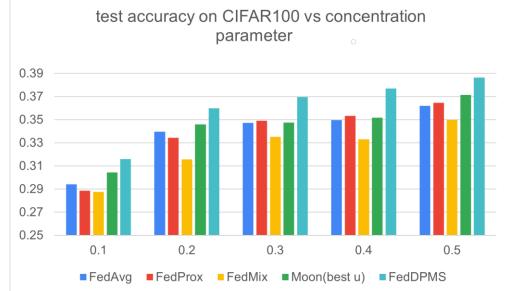


CIFAR100 training set is sampled into 50 partitions with  $\beta = 0.5$ 

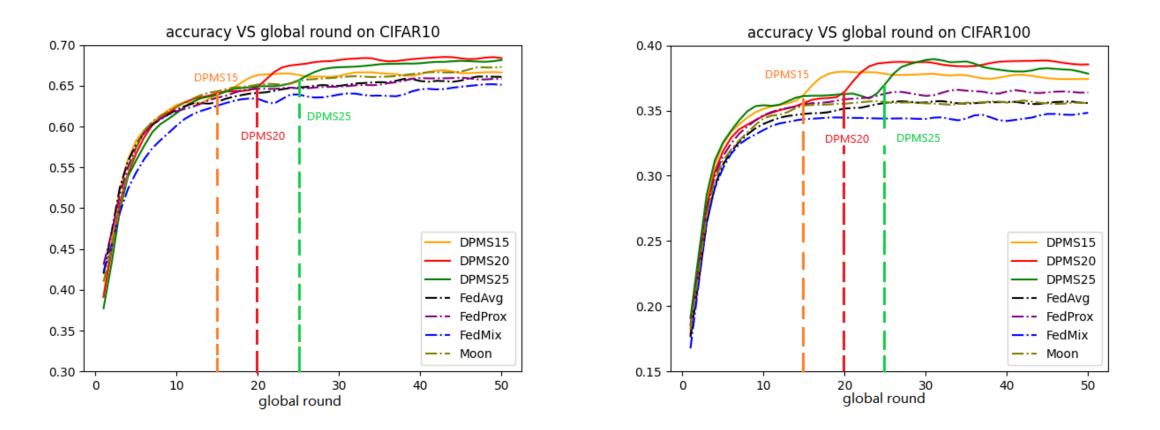
# **Experimental Results**







# **Experimental Results**



The synthetic images are only a small fraction of the augmented dataset, playing a role of regularizer in the secondary training

- no need for the generator to synthesize high-quality images
- no need for more rounds for preliminary training is not necessary improve the performance

# **Conclusions and Future Work**

- FedDPMS enables data augmentation in non-IID Federated Learning by sharing class-wise data representations
- Data augmentation effectively improves performance of non-IID Federated Learning with only a minor additional computation and memory overhead
- To promote privacy, we relied on differential privacy concepts
- As part of the future work, we will investigate settings in which privacy concerns may require further privacy-protection mechanisms

# **Thanks for your attention!**

# **Questions?**